3.10 - Solving Linear Systems Algebraically

Example 1: (taken from last lesson)

Listen-Now offers audiobooks at \$5 each with no monthly fees. Ear-Reader offers audiobooks at \$2.50 each, but charges a \$10 monthly fee. The relations are graphed below.



The solution to the system is the point of intersection.

It is not always efficient (or perfectly accurate) to solve through graphing!

Instead of solving graphically, we will solve the system using the equations. We will be using the **comparison method**.



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Example 2: A company is looking to buy t-shirts for their employees. "Designz" offers a fixed cost of \$100 where each shirt costs \$5. "Shirts!" offers a lower fixed cost of \$40, but a higher cost per shirt at \$7 each.

Solve algebraically and explain which company you would choose based on your number of employees.

Let C represent cost
Let n II # of shirts
Disignal Shirts!
C_b = Sn+100 C_s = 7n+40

$$\frac{5et \text{ Mem equal!}}{Sn+100} = 7n+40$$

 $100-40 = 7n-5n$
 $\frac{60}{2} = \frac{2}{n}$
 $30 = n$
 $\frac{Now solve for the cost}{C_b} = Sn+100$
 $\frac{Sub n=30}{= 250 + 100}$
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<u>Recall</u>: Simple interest is calculated using the formula $I = \Pr t$

Example 3: You don't have enough money to buy a new TV, but two stores are offering a buy now pay later program. GoodBuy offers the TV for \$340 at 10% simple interest. LaterShop offers the same TV for \$270 but at 20% simple interest.

The equations that model the total cost "C" if you take "n" years to pay the store back are:

GoodBuyLaterShop $C_G = 34n + 340$ $C_L = 54n + 270$

Solve the system algebraically, and explain how you would make your decision to save the most money.

$$34_{n} + 340 = 54_{n} + 270$$

$$340 - 270 = 54_{n} - 34_{n}$$

$$70 = 20_{n}$$

$$3.5 = n$$

$$3.5 = n$$

$$\therefore \text{ They byth cost $$459}$$

$$\text{oftar $$3.5$ years.}$$

$$-\text{Choose Lateshop if under $$3.5}$$

$$-\text{Choose Lateshop if over $$3.5}$$

Challenge! - Can you figure out we found the equations for total cost?