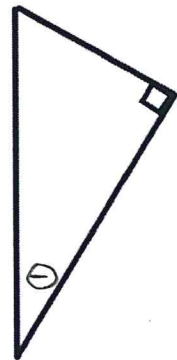
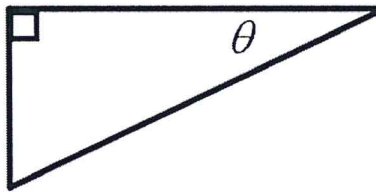
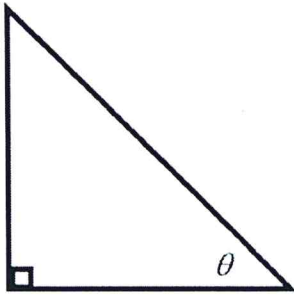


STATION A

1. Label each of the triangles with hypotenuse, opposite and adjacent for the indicated angle.

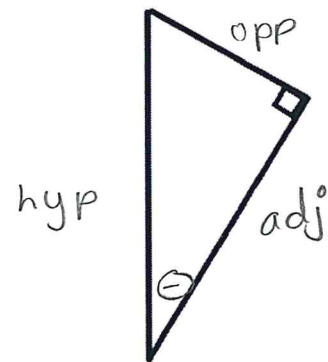
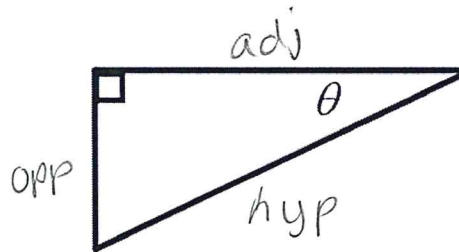
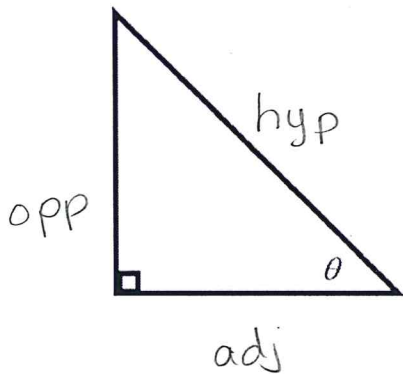


2. a) Determine the value of $\sin 44^\circ$.

- b) Determine the angle if $\cos C = 0.5983$.

STATION A

1. Label each of the triangles with hypotenuse, opposite and adjacent for the indicated angle.



2. a) Determine the value of $\sin 44^\circ$.

$$\sin 44 = 0.7$$

- b) Determine the angle if $\cos C = 0.5983$.

$$C = \cos^{-1}(0.5983)$$

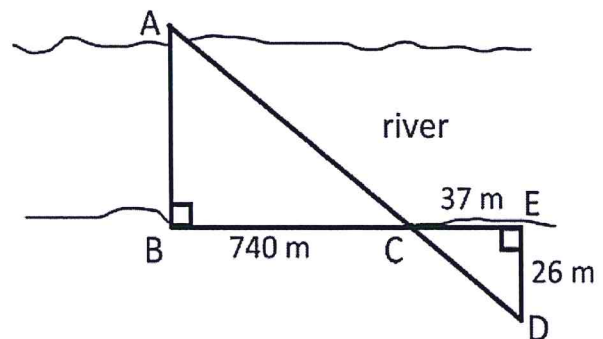
$$C = 53$$

$$\therefore C = 53^\circ$$

STATION B

- 1) The following is a diagram of the Ottawa river. Since it is not possible to measure the distance across the river directly, indirect measurement must be used, as shown.

- a) Prove that the two triangles are similar.



- b) Using similar triangles, compute the distance across the river.

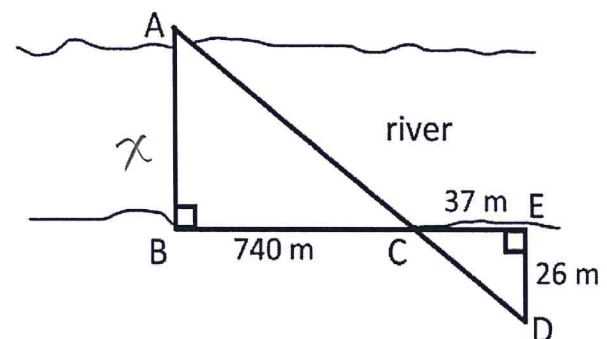
STATION B

- 1) The following is a diagram of the Ottawa river. Since it is not possible to measure the distance across the river directly, indirect measurement must be used, as shown.

- a) Prove that the two triangles are similar.

$$\begin{aligned} \text{(A)} \quad \angle ABC &= \angle DEC \quad \text{given} \\ \text{(A)} \quad \angle ACB &= \angle DCE \quad \text{OAT} \end{aligned}$$

$$\therefore \triangle ABC \sim \triangle DEC$$



- b) Using similar triangles, compute the distance across the river.

$$\frac{x}{26} = \frac{740}{37}$$

$$x = \frac{26(740)}{37}$$

$$x = 520$$

OR

$$\text{scale} = \frac{740}{37}$$

$$= 20$$

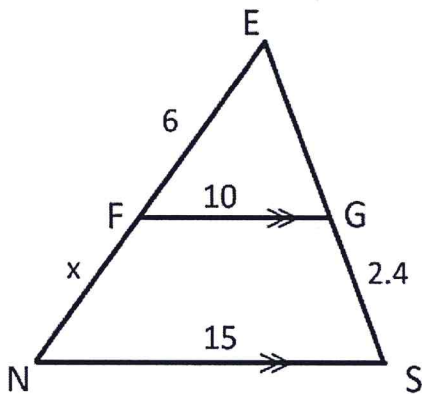
$$x = 26(20)$$

$$x = 520$$

\therefore The river is 520m.

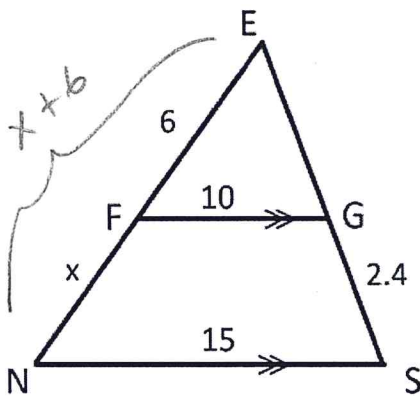
STATION C

Given that the two triangles below are similar, find the value of x as indicated on the diagram.



STATION C

Given that the two triangles below are similar, find the value of x as indicated on the diagram.



$$\frac{6}{x+6} = \frac{10}{15}$$

$$10(x+6) = 6(15)$$

$$10x + 60 = 90$$

$$10x = 90 - 60$$

$$10x = 30$$

$$x = 3$$

OR

$$\begin{aligned} \text{Scale} &= \frac{15}{10} \\ &= 1.5 \end{aligned}$$

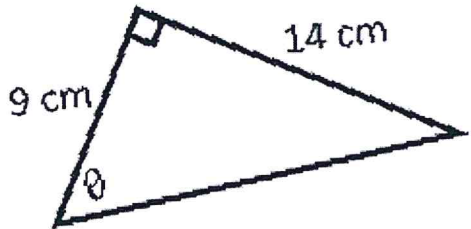
$$\begin{aligned} EN &= 6(1.5) \\ &= 9 \end{aligned}$$

$$\begin{aligned} x &= EN - EF \\ &= 9 - 6 \\ &= 3 \end{aligned}$$

$$\therefore x = 3 \text{ units}$$

STATION D

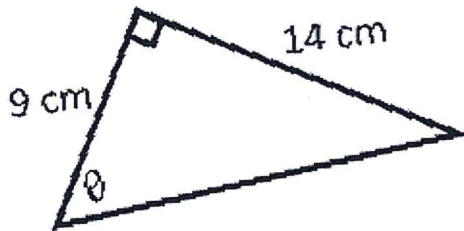
1. Solve for the unknown as indicated in the triangle below.



3. In $\triangle ABC$, $C = 90^\circ$, $B = 62^\circ$ and $c = 11$ m. Find the length of side a . Include a labeled diagram with your solution.

STATION D

1. Solve for the unknown as indicated in the triangle below.



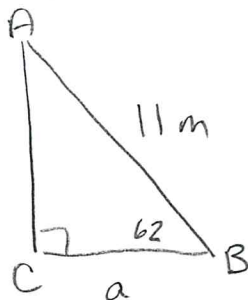
$$\tan \theta = \frac{14}{9}$$

$$\theta = \tan^{-1}\left(\frac{14}{9}\right)$$

$$\theta = 57.3$$

$$\therefore \theta = 57.3^\circ$$

3. In $\triangle ABC$, $C = 90^\circ$, $B = 62^\circ$ and $c = 11$ m. Find the length of side a . Include a labeled diagram with your solution.



$$\cos 62 = \frac{a}{11}$$

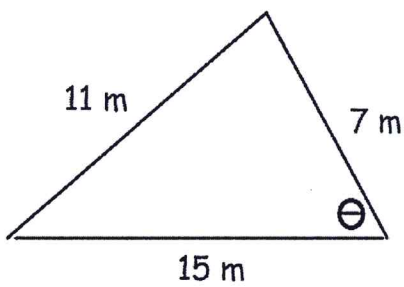
$$11 \cos 62 = a$$

$$5.2 \approx a$$

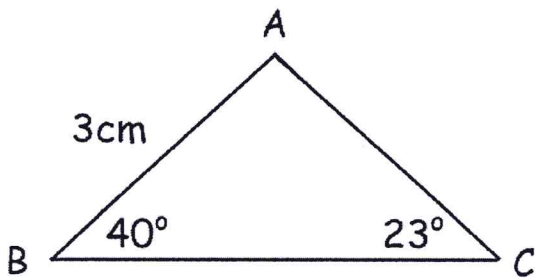
$$\therefore a = 5.2 \text{ m}$$

STATION E

- 1) Find the measure of angle θ using the cosine law.

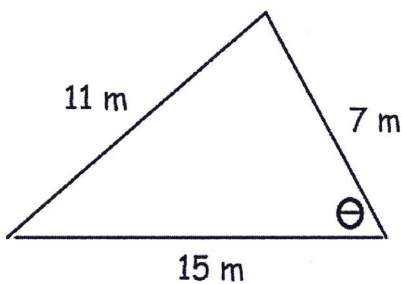


- 2) Find the measure of side a using the sine law.



STATION E

- 1) Find the measure of angle θ using the cosine law.

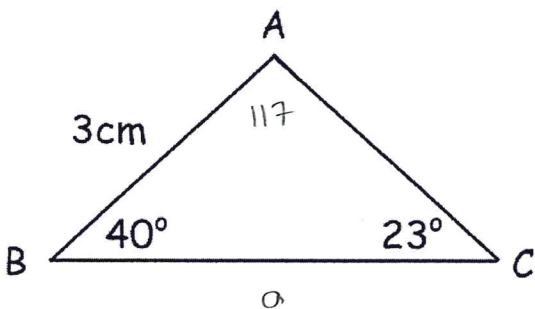


$$\theta = \cos^{-1} \left[\frac{15^2 + 7^2 - 11^2}{2(15)(7)} \right]$$

$$\theta \doteq 43.2$$

$$\therefore \theta = 43.2^\circ$$

- 2) Find the measure of side a using the sine law.



$$A = 180 - 40 - 23$$

$$A = 117$$

$$\frac{a}{\sin 117} = \frac{3}{\sin 23}$$

$$a = \frac{3 \sin 117}{\sin 23}$$

$$a \doteq 6.8$$

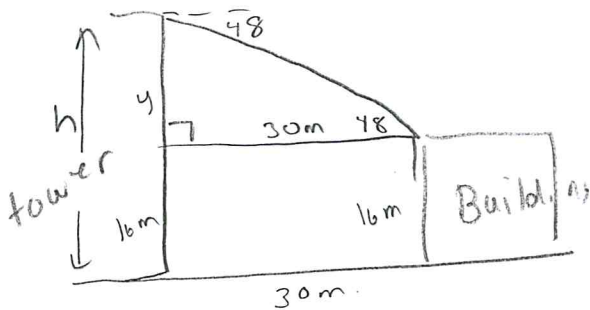
$$\therefore a = 6.8 \text{ cm}$$

STATION F

The angle of depression from the top of a tower to the top of a 16 m building is 48° . The tower and building are 30 m apart. How high is the tower? Include a labeled diagram with your solution.

STATION F

The angle of depression from the top of a tower to the top of a 16 m building is 48° . The tower and building are 30 m apart. How high is the tower? Include a labeled diagram with your solution.



$$\tan 48 = \frac{y}{30}$$

$$30 \tan 48 = y$$

$$33.3 = y$$

$$h = y + 16$$

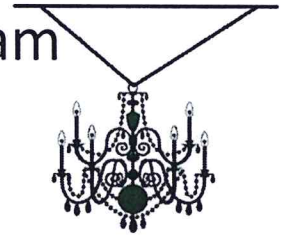
$$h = 33.3 + 16$$

$$h = 49.3$$

\therefore The tower is 49.3 m high

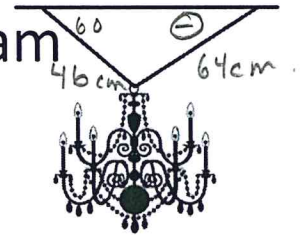
STATION G

A chandelier is suspended from the ceiling by two chains. One chain is 46 cm long and forms an angle of 60° with the ceiling. The other chain is 64 cm long. What angle does the longer chain make with the ceiling? Label the diagram provided as part of your solution.



STATION G

A chandelier is suspended from the ceiling by two chains. One chain is 46 cm long and forms an angle of 60° with the ceiling. The other chain is 64 cm long. What angle does the longer chain make with the ceiling? Label the diagram provided as part of your solution.



$$\frac{\sin \theta}{46} = \frac{\sin 60}{64}$$

$$\sin \theta = \frac{46 \sin 60}{64}$$

$$\theta = \sin^{-1} \left[\frac{46 \sin 60}{64} \right]$$

$$\theta = 38.5$$

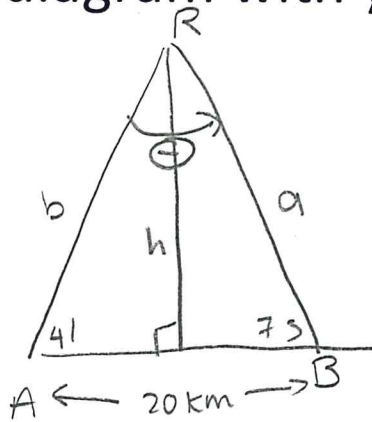
\therefore The longer chain makes an angle of 38.5° with the ceiling.

STATION H

Two tracking stations are on opposite sides of a rocket that has been shot into the air. The tracking stations are 20 km apart. From station A, the angle of elevation of the rocket is 41° ; from station B, the angle of elevation of the rocket is 75° . What is the altitude of the rocket? Include a labeled diagram with your solution.

STATION H

Two tracking stations are on opposite sides of a rocket that has been shot into the air. The tracking stations are 20 km apart. From station A, the angle of elevation of the rocket is 41° ; from station B, the angle of elevation of the rocket is 75° . What is the altitude of the rocket? Include a labeled diagram with your solution.



$$\Theta = 180 - 41 - 75$$

$$\Theta = 64$$

$$\frac{b}{\sin 75} = \frac{20}{\sin 64}$$

$$b = \frac{20 \sin 75}{\sin 64}$$

$$b \approx 21.49$$

$$\sin 41 = \frac{h}{21.49}$$

$$21.49 \sin 41 = h$$

$$14.1 \approx h$$

alternate solⁿ.

$$\frac{a}{\sin 41} = \frac{20}{\sin 64}$$

$$a = \frac{20 \sin 41}{\sin 64}$$

$$a \approx 14.599$$

$$\sin 75 = \frac{h}{14.599}$$

$$14.599 \sin 75 = h$$

$$14.1 = h$$

\therefore The rocket is 14.1 km high.